

Bearings of lines

The bearing of a line is the horizontal angle which the line makes with some reference direction or meridian.

The reference direction in surveying is of three types i) true meridian; ii) magnetic meridian; iii) arbitrary meridian.

True Meridian

The points of intersection of the earth's axis and the surface of the earth are known as the north geographical pole and the south geographical pole. The true or geographical meridian passing through a point on the earth's surface is the line in which the plane passing through the given point, and the north and south poles intersects the surface of the earth.

(পৃথিবীর অক্ষ ও পৃথিবীর পৃষ্ঠের ছোঁয়ায় মিলিত বিন্দু উত্তর ও দক্ষিণ ভৌগোলিক মেরু হয়। এই মেরু দুটির মধ্য দিয়ে যে রেখা পৃথিবীর পৃষ্ঠের কোন একটি বিন্দুর উপর দিয়ে অঙ্কিত হলে তাকে বলা হয়, সে রেখা বাস্তবিক ভাবে পৃথিবীর পৃষ্ঠের উপর ও দক্ষিণ মেরু পৃথিবীর পৃষ্ঠের ছোঁয়ায় মিলিত বিন্দু) The horizontal angle between the true meridian and a line is called a true bearing of the line or azimuth

Magnetic Meridian

The direction indicated by a freely suspended and properly balanced magnetic needle, unaffected by local attractive forces is called the magnetic meridian.

The angle which a line makes with the magnetic meridian is called a magnetic bearing of the line.

(যে কোনও সরল রেখা ও একটি ভূগোলিক মেরুদণ্ডের মধ্যকার কোণকে চৌম্বকীয় মেরুদণ্ড, যা কোনো চৌম্বকীয় পদার্থ দ্বারা প্রভাবিত হওয়ার কারণে হয় সেটি দ্বারা নির্দেশিত মেরুদণ্ডই হল চৌম্বকীয় উত্তর (মেরুদণ্ড)।

The angle which a line makes with the magnetic meridian is called magnetic bearing of the line.

Arbitrary Meridian

For small surveys any convenient direction may be taken as a meridian. It is usually the direction from a survey station to some well-defined permanent object (যে কোনও স্থায়ী বস্তু থেকে সরল রেখা টানা করা হয়, যা চৌম্বকীয় মেরুদণ্ডের মতো স্থায়ী বস্তুকে নির্দেশ করে)।

The angle between this meridian and a line is known as an arbitrary or assumed bearing of the line.

Designation of Bearings

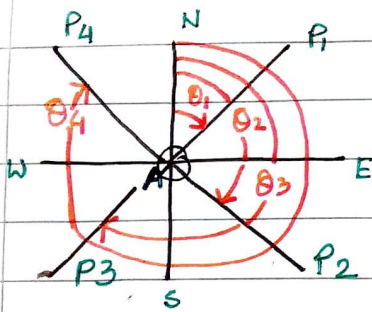
There are two systems to express bearings, viz.

- 1) the whole circle system and
- 2) the quadrantal system.

Whole Circle System (W.C.B)

In this system the bearing of a line is always measured clockwise from the north point of the reference meridian toward the line right round the circle. The angle thus measured is called the whole circle bearing. It may have any value between

0° and 360° . Thus in figure, the Whole Circle Bearing of AP_1 is θ_1 , that of AP_2 is θ_2 , AP_3 is θ_3 and AP_4 is θ_4 .

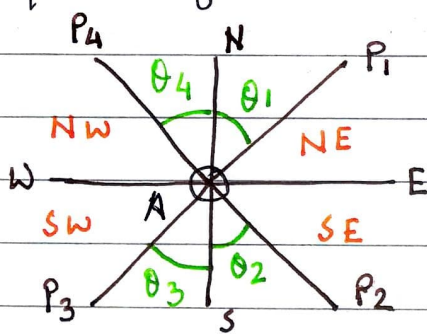


The bearings observed with a Prismatic Compass or theodolite are the Whole Circle bearings.

Quadrantal System

In this system the bearing of a line is measured clockwise or counterclockwise from the north point or the south point, whichever is nearer the line, towards the east or west.

So it is absolutely necessary to state the point from which the angle is measured.



In this system the bearing is ~~0 to 90~~ 0° to 90° in each quadrant. The quadrantal bearing, therefore, never exceeds 90° .

There are two ~~bearings~~ notations in each bearing of line is expressed.

Thus the bearing of AP_1 is θ_1 N.E; that of AP_2 is θ_2 S.E.; and so on

We can express it as the bearing of AP_3 is $S\theta_3$ W. and the AP_4 is $N\theta_4$ W.

They are often called the reduced bearing

To obtain the reduced bearing we have to make some necessary calculation.

When the whole circle bearing of a line exceeds 90° , it must be reduced to the corresponding angle less than 90° , which has the same numerical values of the ~~triangulation~~ trigonometrical functions. The angle is known as the reduced bearing (R.B.).

The rule of obtaining Reduced Bearing from Whole Circle Bearing

| Case | W.C.B. between | Rule for R.B. | Quadrant |
|------|---------------------------|------------------------------|----------|
| I | 0° & 90° | = W.C.B | N.E. |
| II | 90° & 180° | = $180^\circ - \text{W.C.B}$ | S.E. |
| III | 180° & 270° | = $\text{W.C.B} - 180^\circ$ | S.W. |
| IV | 270° & 360° | = $360^\circ - \text{W.C.B}$ | N.W. |

Example

| Case | Whole Circle Bearing | Reduced/Quadrantal Bearing |
|------|----------------------|---|
| i) | $68^\circ 32'$ | N. $68^\circ 32'$ E |
| ii) | $132^\circ 12'$ | $(180^\circ - 132^\circ 12') = 47^\circ 48' \text{SE} = S47^\circ 48' \text{E}$ |
| iii) | $236^\circ 37'$ | $(236^\circ 37' - 180^\circ) = 56^\circ 37' \text{SW} = S56^\circ 37' \text{W}$ |
| iv) | $334^\circ 52'$ | $(360^\circ - 334^\circ 52') = 25^\circ 8' \text{NW} = N25^\circ 8' \text{W}$ |

Fore & Back Bearings

The bearing of a line in the direction of the progress of survey is called the fore or forward bearing (F.B.) while its bearing in the opposite direction is known as the back or reverse bearing (B.B.) The fore and back bearing of a line differ exactly by 180° .